

# VOLUME: CYLINDERS AND CONES

Find the volume,  $V$ , of each figure. Express answers in terms of  $\pi$ .

1. Cup



$r$ : 3 cm;  $h$ : 7 cm

$V$ : \_\_\_\_\_

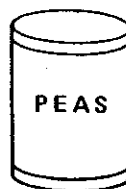
2. Frying Pan



$r$ : 15 cm;  $h$ : 3 cm

$V$ : \_\_\_\_\_

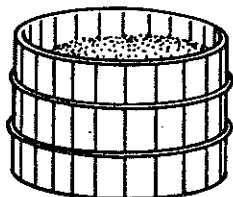
3. Can of Peas



$r$ : 3.5 cm;  $h$ : 11 cm

$V$ : \_\_\_\_\_

4. Planter



$r$ : 2 ft;  $h$ : 3 ft

$V$ : \_\_\_\_\_

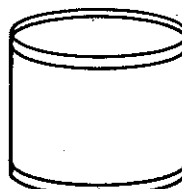
5. Can of Tuna



$r$ : 4 in;  $h$ : 2 in

$V$ : \_\_\_\_\_

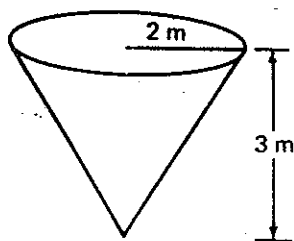
6. Waste Paper Basket



$r$ : 5 in;  $h$ : 13 in

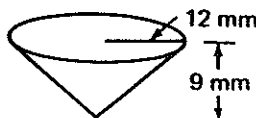
$V$ : \_\_\_\_\_

7. Ice Cream Sign



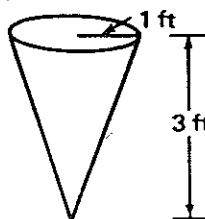
$V$ : \_\_\_\_\_

8. Paper Cup



$V$ : \_\_\_\_\_

9. Hanging Planter



$V$ : \_\_\_\_\_

10. A cylindrical gasoline storage tank has a diameter of 24 meters and a height of 9 meters. What is the volume of the tank?
11. A cylindrical pencil holder has a volume of  $122.5\pi$  cubic inches. If its height is 10 inches, find the radius of its base.
12. A cylinder has a radius of  $\sqrt{30}$  meters and a height of  $\sqrt{12}$  meters. Find its volume. Express the answer in simplest radical form.
13. Find the volume of a cone if its height is 15.6 feet and the radius of its base is  $\sqrt{5}$ .
14. The volume of a cone-shaped funnel is  $8\pi$  cm<sup>3</sup>. If the funnel has a height of 6 centimeters, what is the radius of its base?

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W-109

Scrambled  
Key

$32\pi$

$12\pi$

$26\pi$

$432\pi$

$675\pi$

$63\pi$

$\pi$

$4\pi$

$134.75\pi$

$60\sqrt{3}\pi$

3.5

$325\pi$

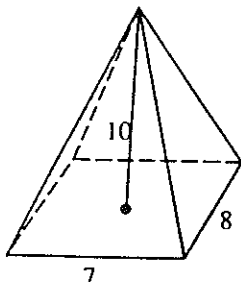
$1296\pi$

2

**PRACTICE WORKSHEET**

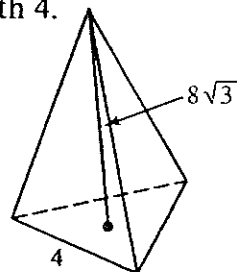
Find the volume of each pyramid.

1. Base is a rectangle.



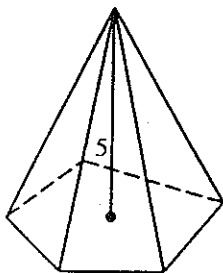
$V = \underline{\hspace{2cm}}$

2. Base is an equilateral triangle with sides of length 4.



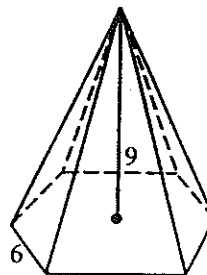
$V = \underline{\hspace{2cm}}$

3. Base is a pentagon with an area of 28.



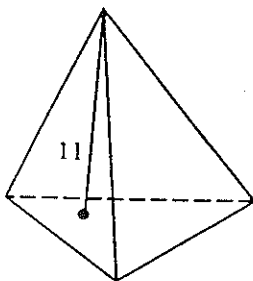
$V = \underline{\hspace{2cm}}$

4. regular pyramid



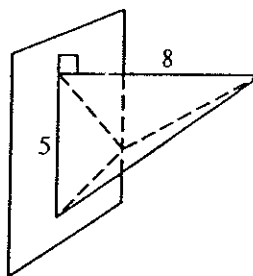
$V = \underline{\hspace{2cm}}$

5. Base is an isosceles triangle with sides of lengths 13, 13, and 10.



$V = \underline{\hspace{2cm}}$

6. Base is an equilateral triangle with sides of length 5.



$V = \underline{\hspace{2cm}}$

7. A pyramid has a right triangular base with legs 3 ft and 4 ft long.

If the height of the pyramid is 6.5 ft, find its volume. \_\_\_\_\_

8. A pyramid has a volume of 108 cu ft and a base area of 27 cu ft

Find its height. \_\_\_\_\_

Scrambled  
Key

$162\sqrt{3}$

12

13

$186\frac{2}{3}$

32

$46\frac{2}{3}$

220

$16\frac{2}{3}\sqrt{3}$

# LSA & TSA--More Practice Cylinders & Cones

Name \_\_\_\_\_ Assign# \_\_\_\_\_

Date \_\_\_\_\_ Per \_\_\_\_\_

For each of problems 1-9 on Side 1 of the **Volume: Cylinders & Cones** worksheet, calculate the LSA and TSA for each object listed-- assuming it to be a perfect cylinder or cone with the dimensions given in the problem. Show All Work & use appropriate units. (Hints for 7-9) Remember the Pythagorean Theorem!

1)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

2)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

3)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

4)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

5)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

6)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

7)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

8)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

9)

LSA = \_\_\_\_\_

TSA = \_\_\_\_\_

Scrambled Answer Key
180π sq in
90π sq cm
42π sq cm
$\sqrt{10}\pi + \pi$ sq ft
130π sq in
77π sq cm
12π sq ft
16π sq in
$2\sqrt{13} \pi$ sq m
20π sq ft
101.5π sq cm
$2\sqrt{13} \pi + 4\pi$ sq m
60π sq cm
324π sq mm
$\sqrt{10}\pi$ sq ft
540π sq cm
180π sq mm
48π sq in